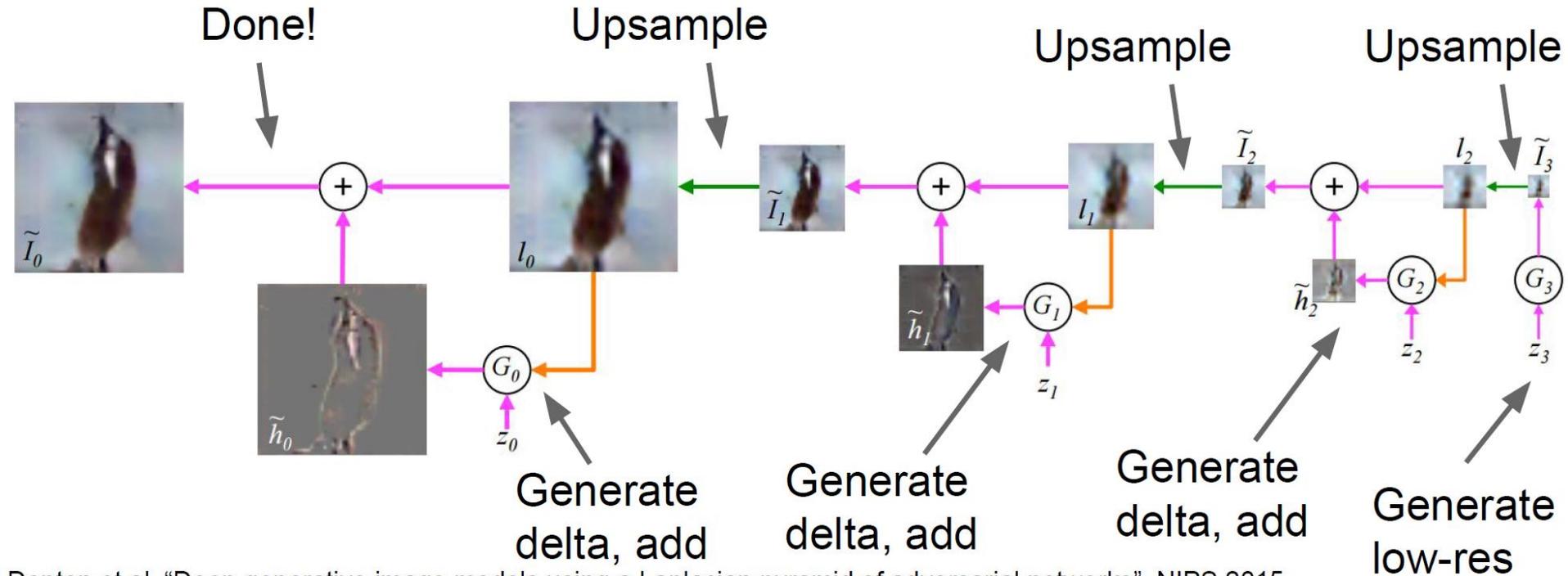


GAN Architectures and Conditional GANs

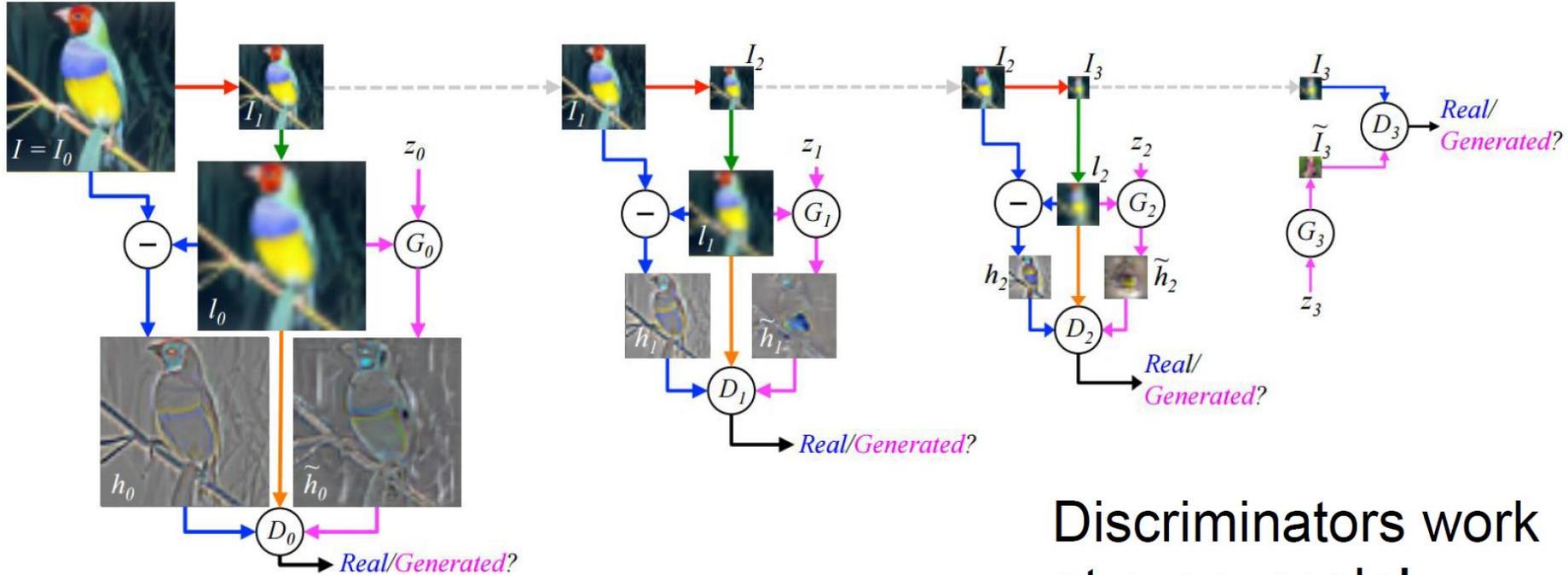
GAN Architectures

Multiscale GANs



Denton et al, "Deep generative image models using a Laplacian pyramid of adversarial networks", NIPS 2015

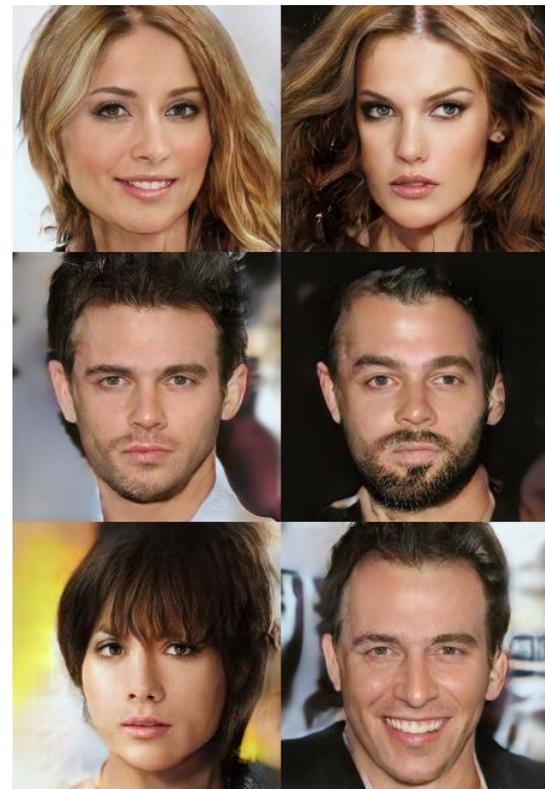
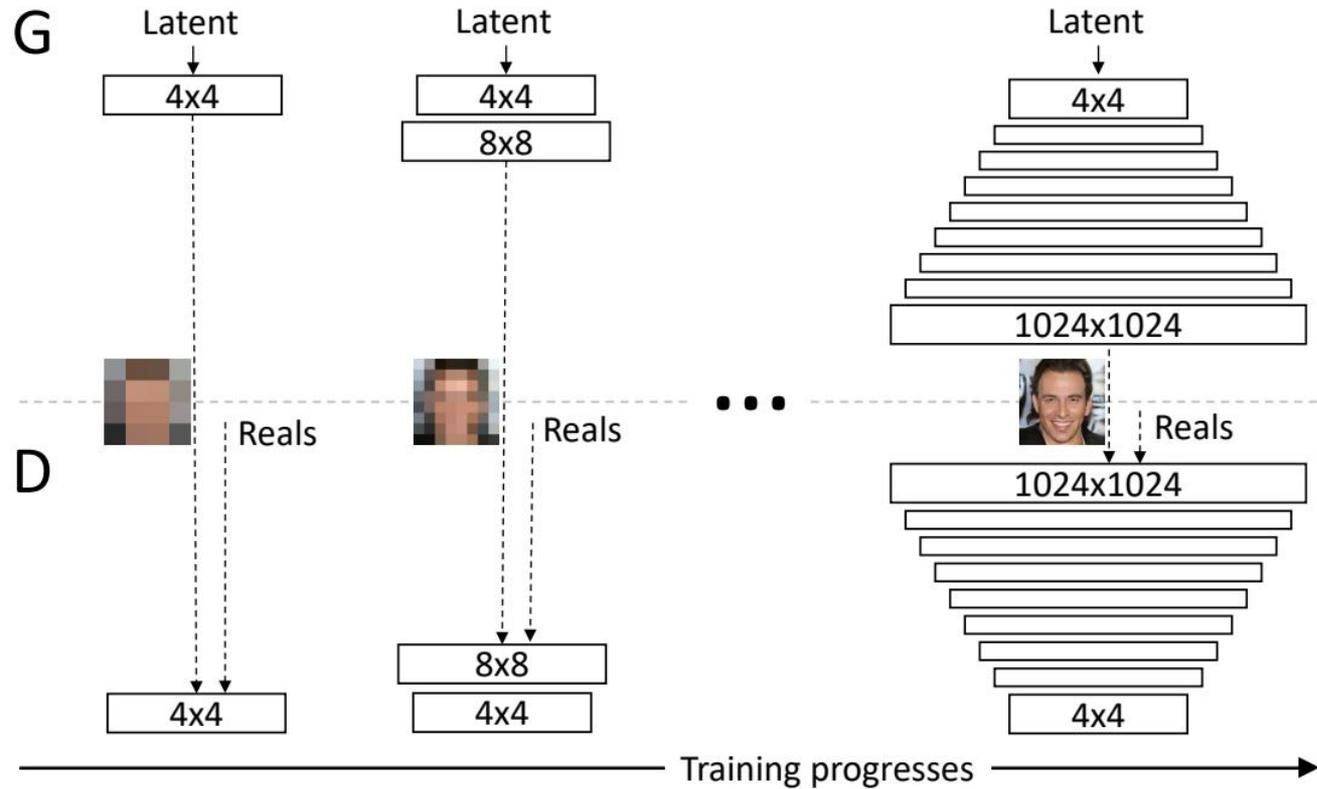
Multiscale GANs



Discriminators work at every scale!

Denton et al, NIPS 2015

Progressive Growing GANs



G

4×4
4×4

2x
8×8
8×8

2x
16×16
16×16

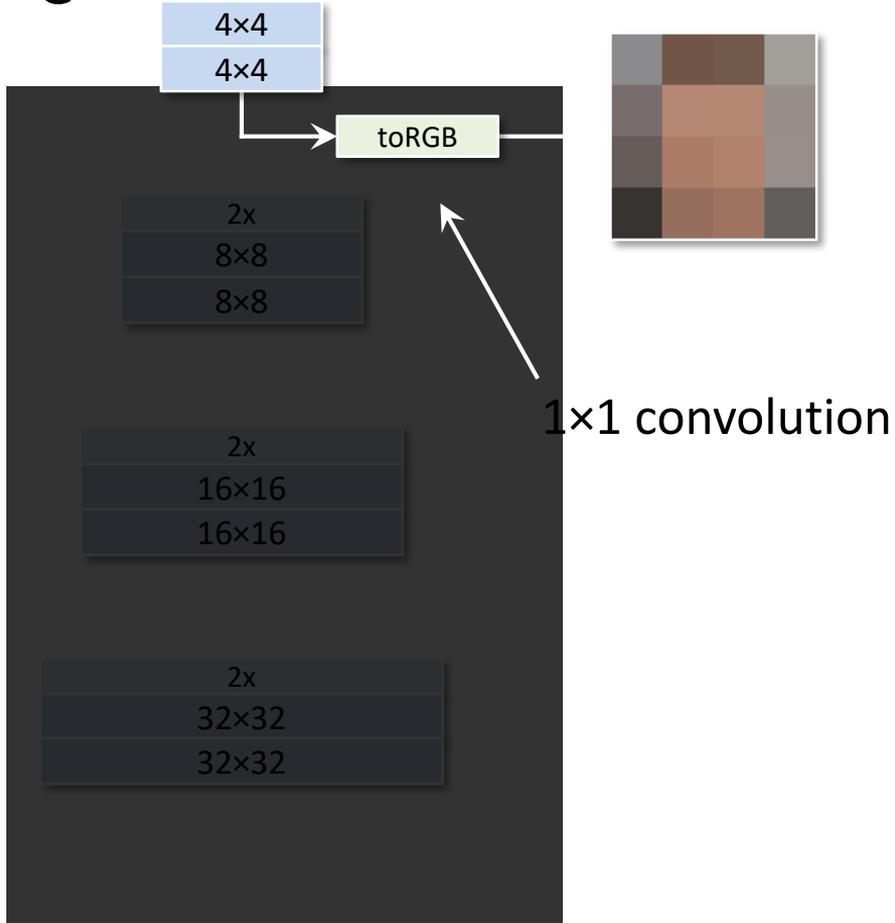
2x
32×32
32×32

Replicated block

Nearest-neighbor upsampling

3×3 convolution

G



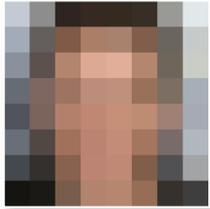
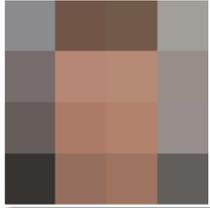
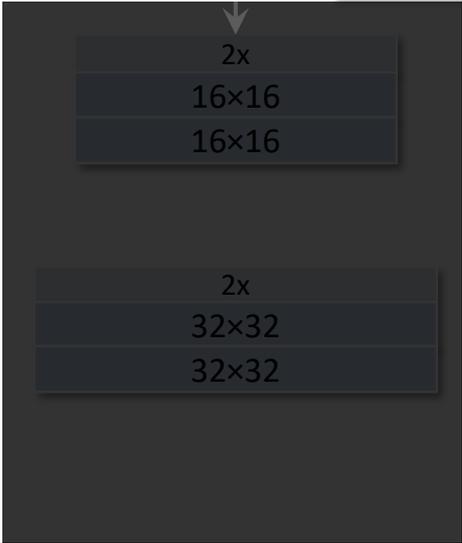
G

4x4
4x4

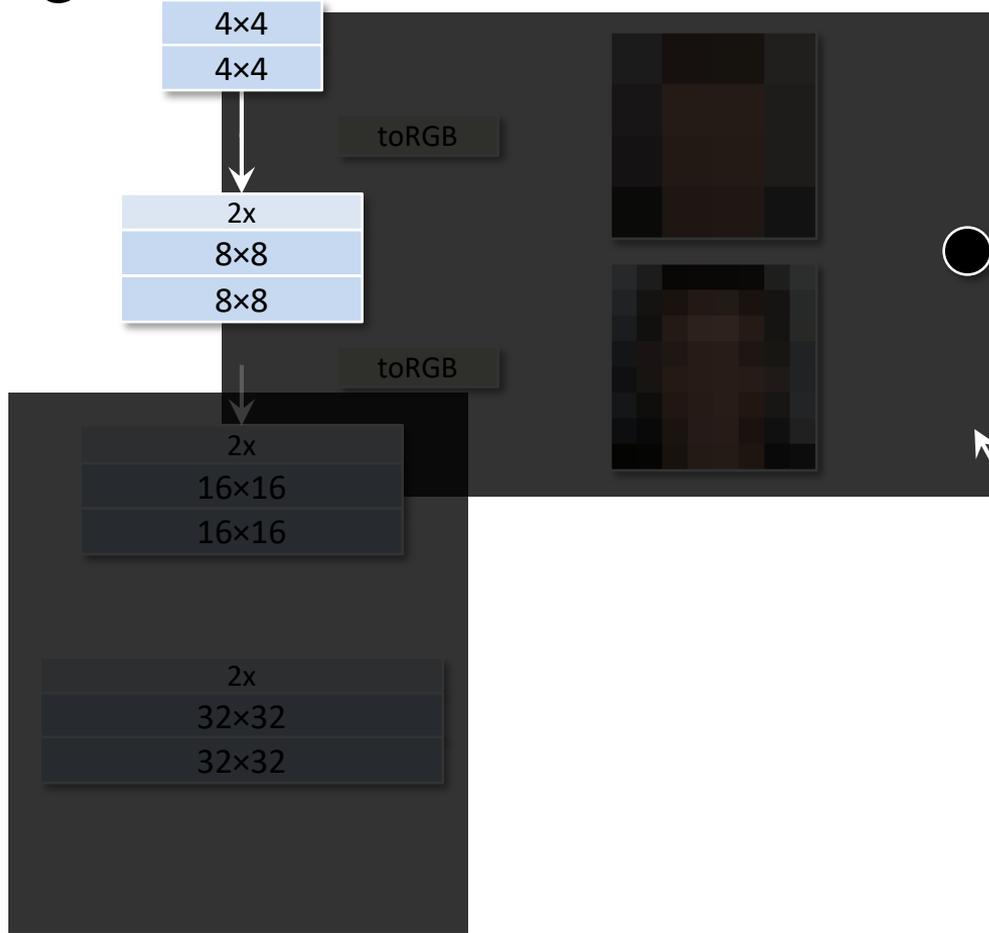
toRGB

2x
8x8
8x8

toRGB



G



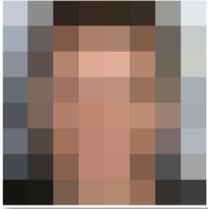
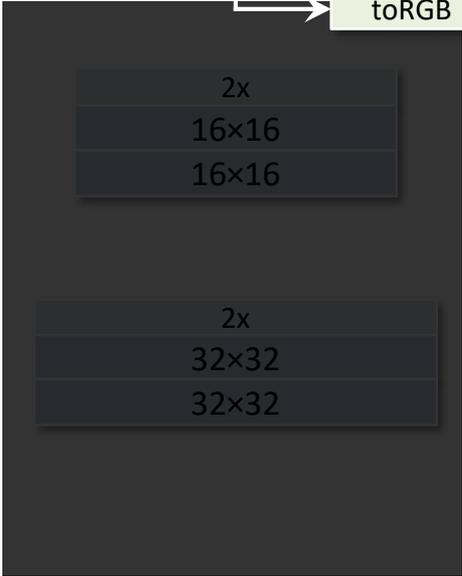
Linear crossfade

G

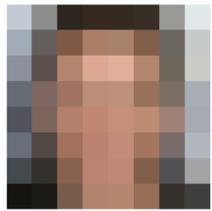
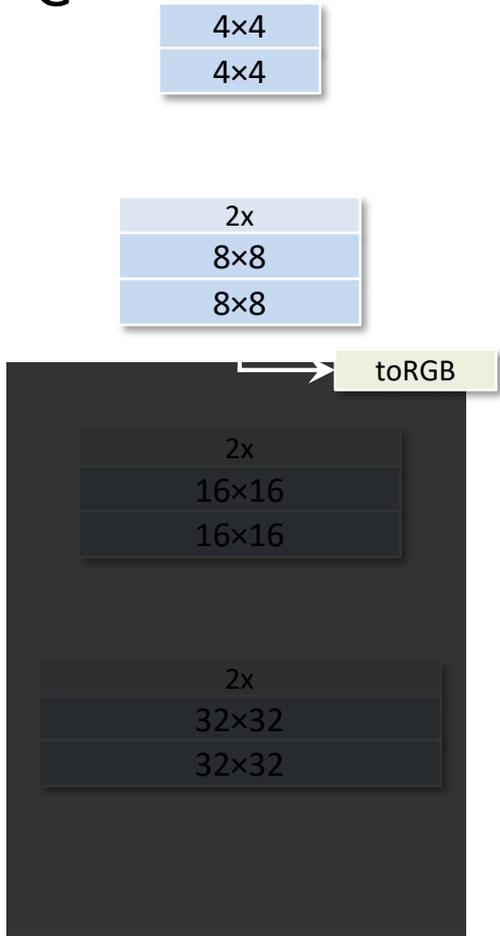
4x4
4x4

2x
8x8
8x8

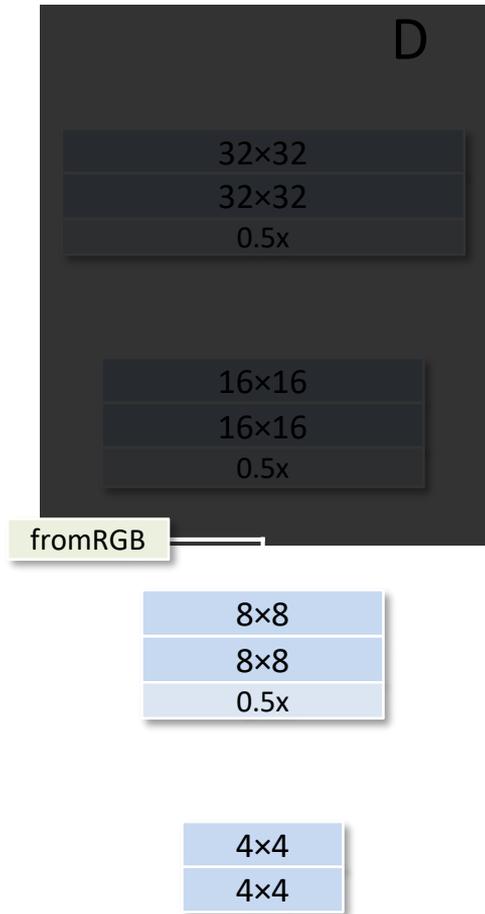
toRGB



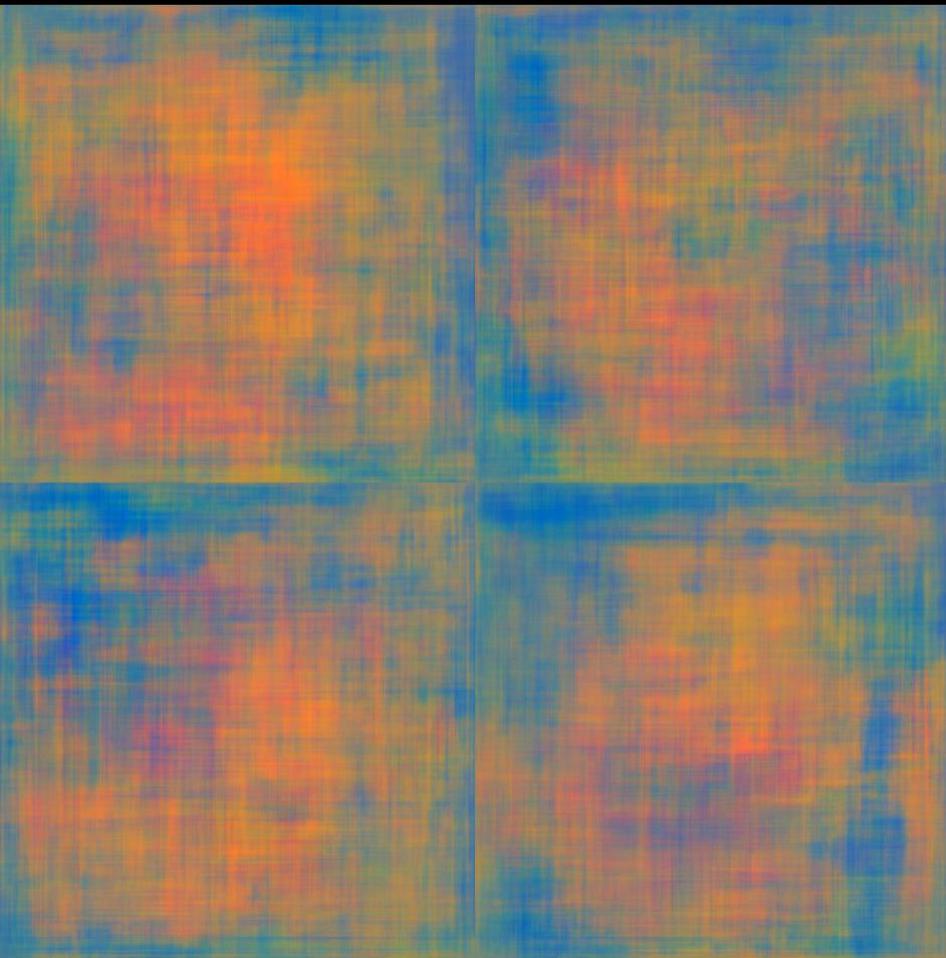
G



D



5 min 00 sec



Fixed resolution



Progressive growing

Progressive Growing GANs

CelebA-HQ

1024 × 1024

Latent space interpolations

Lots of GAN Variations

- Hundreds of GAN papers in the last two years
 - > Mostly with different losses
 - > Extremely hard to train and evaluate

Are GANs Created Equal? A Large-Scale Study

Mario Lucic* Karol Kurach* Marcin Michalski Sylvain Gelly Olivier Bousquet
Google Brain

Abstract

Generative adversarial networks (GAN) are a powerful subclass of generative models. Despite a very rich research

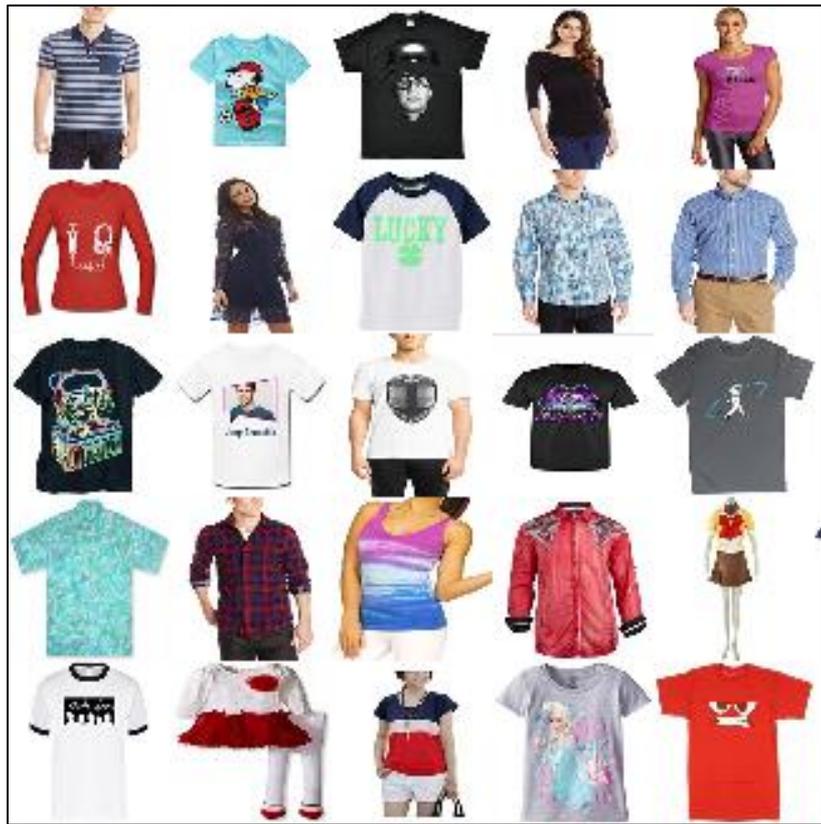
GAN algorithm(s) perform objectively better than the others. That's partially due to the lack of robust and consistent metric, as well as limited comparisons which put all algorithms on equal footage, including the computational

Conditional Generative Adversarial Networks (cGANs)

Conditional GANs (cGANs)

- Gain control of output
- Modeling (e.g., sketch-based modeling, etc.)
 - Add semantic meaning to latent space manifold
- Domain transfer
 - Labels on A -> transfer to B, train network on 'B', test on B
 - More later

GAN Manifold



Train Data



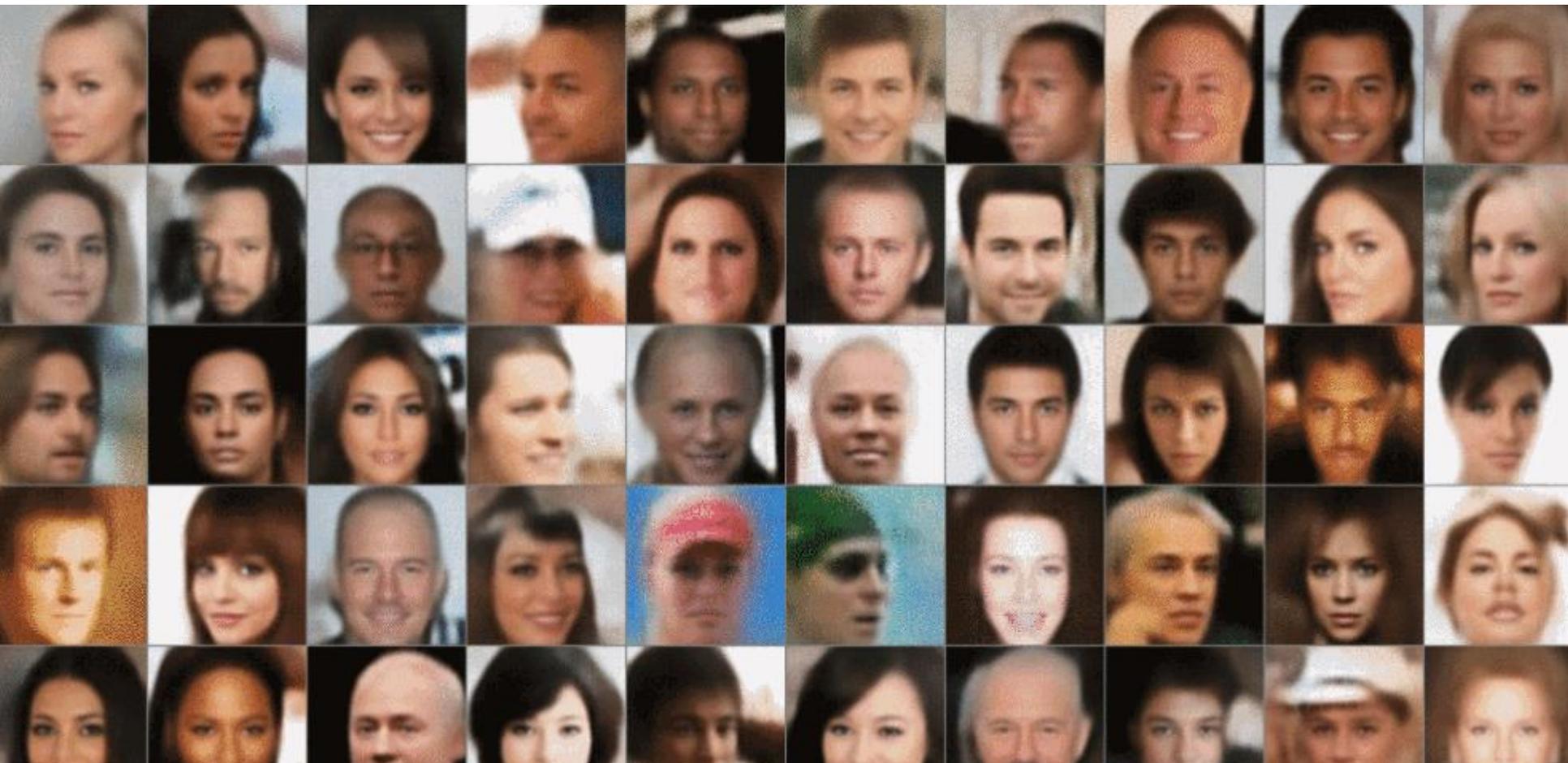
Sampled Data $\rightarrow G(z)$

GAN Manifold



$$a - b + c$$

GAN Manifold



GAN Manifold

$G(z_0)$



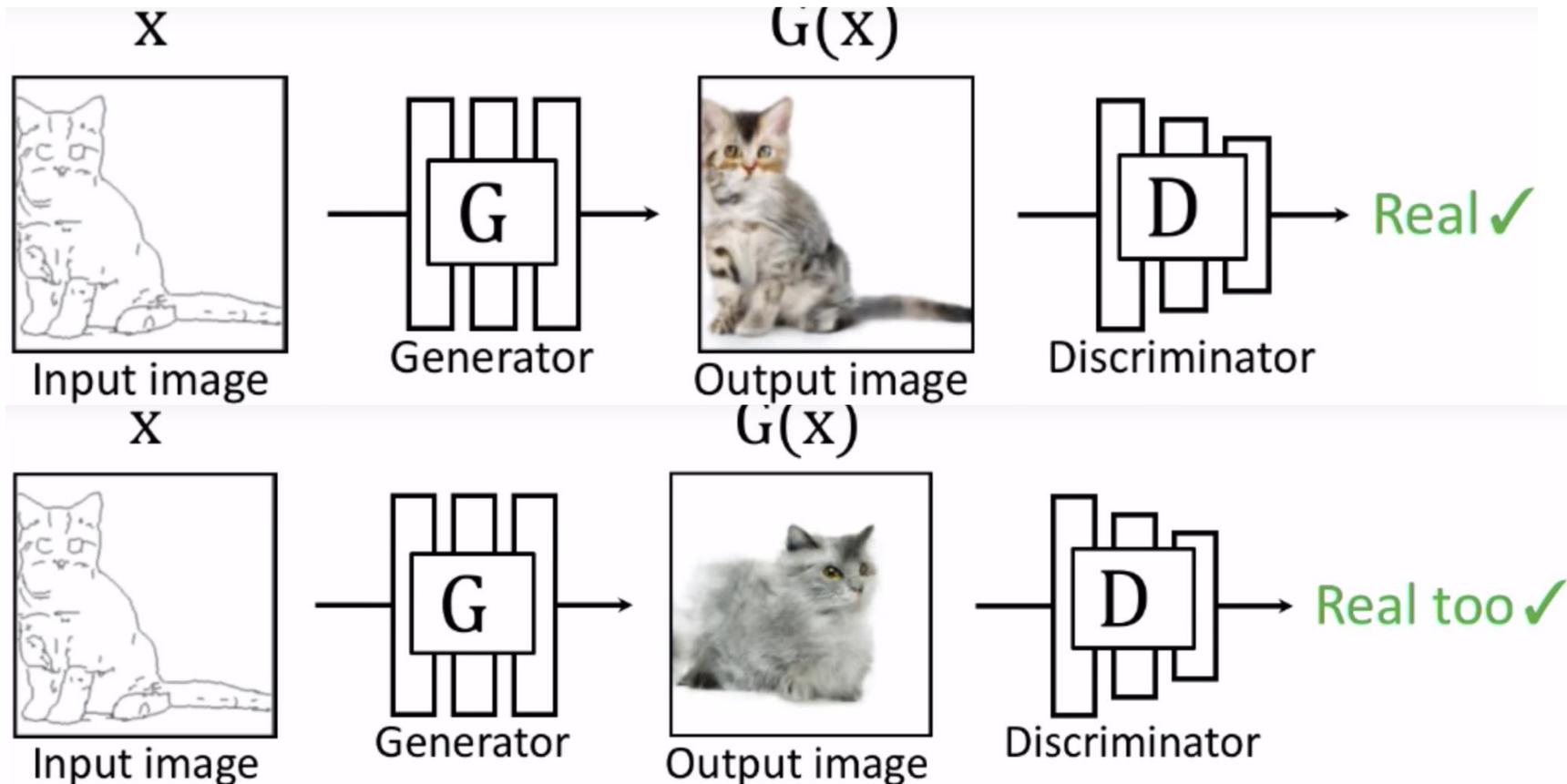
Linear interpolation in z space: $G(z_0 + t \cdot (z_1 - z_0))$



$G(z_1)$



Conditional GANs (cGANs)



iGANs: Overview



original photo



different degree of image manipulation

Project 



projection on manifold

Editing UI 



 Edit Transfer



transition between the original and edited projection

iGANs: Overview



original photo

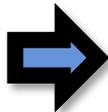


different degree of image manipulation



projection on manifold

Editing UI



transition between the original and edited projection

iGANs: Projecting an Image onto the Manifold

Input: real image x^R
Output: latent vector z

Optimization

$$z^* = \arg \min \mathcal{L}(G(z), x^R)$$

Reconstruction loss L

Generative model $G(z)$



0.196



0.238



0.332

iGANs: Projecting an Image onto the Manifold

Input: real image x^R
Output: latent vector z

Optimization

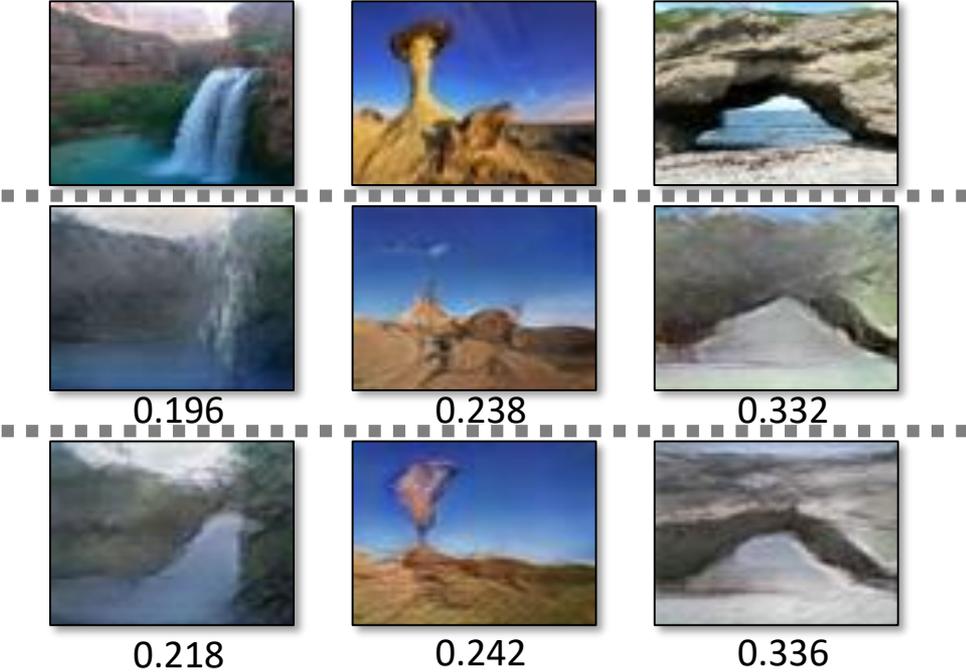
$$z^* = \arg \min \mathcal{L}(G(z), x^R)$$

Inverting Network $z = P(x)$

$$\theta_P^* = \arg \min_{\theta_P} \sum_{x_n^R} \mathcal{L}(G(\underbrace{P(x_n^R; \theta_P)}_{\text{Auto-encoder}}), x_n^R)$$

Auto-encoder

with a fixed decoder G



iGANs: Projecting an Image onto the Manifold

Input: real image x^R
Output: latent vector z

Optimization

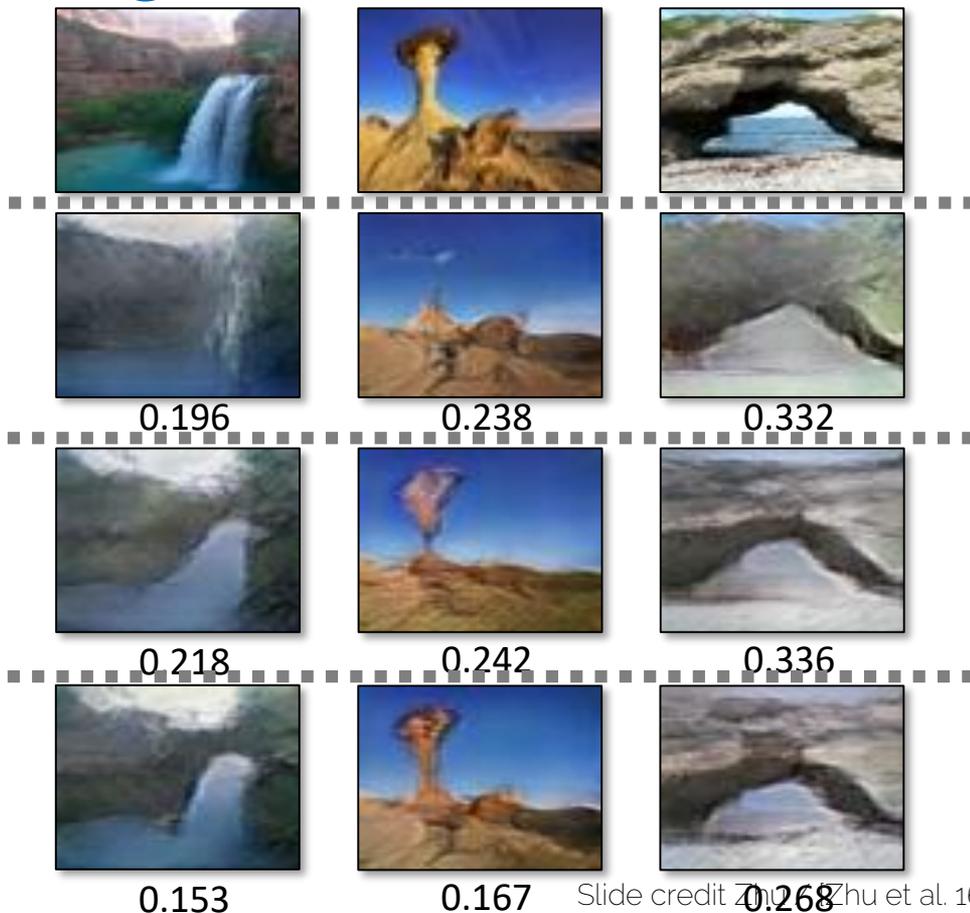
$$z^* = \arg \min \mathcal{L}(G(z), x^R)$$

Inverting Network $z = P(x)$

$$\theta_P^* = \arg \min_{\theta_P} \sum_{x_n^R} \mathcal{L}(G(P(x_n^R; \theta_P)), x_n^R)$$

Hybrid Method

Use the **network** as initialization
for the **optimization** problem



iGANs: Overview



original photo

Project 



projection on manifold



Editing UI 



different degree of image manipulation



Edit Transfer



transition between the original and edited projection

iGANs: Manipulating the Latent Vector

constraint violation loss L_g

user guidance image

Objective:
$$z^* = \arg \min_{z \in \mathbb{Z}} \left\{ \underbrace{\sum_g (\mathcal{L}_g(G(z)) v_g)}_{\text{data term}} + \underbrace{\lambda_s \cdot \|z - z_0\|_2^2}_{\text{manifold smoothness}} \right\}.$$

data term

manifold smoothness

Guidance
 v_g



z_0

iGANs: Overview



original photo



projection on manifold



Editing UI 



different degree of image manipulation



Edit Transfer

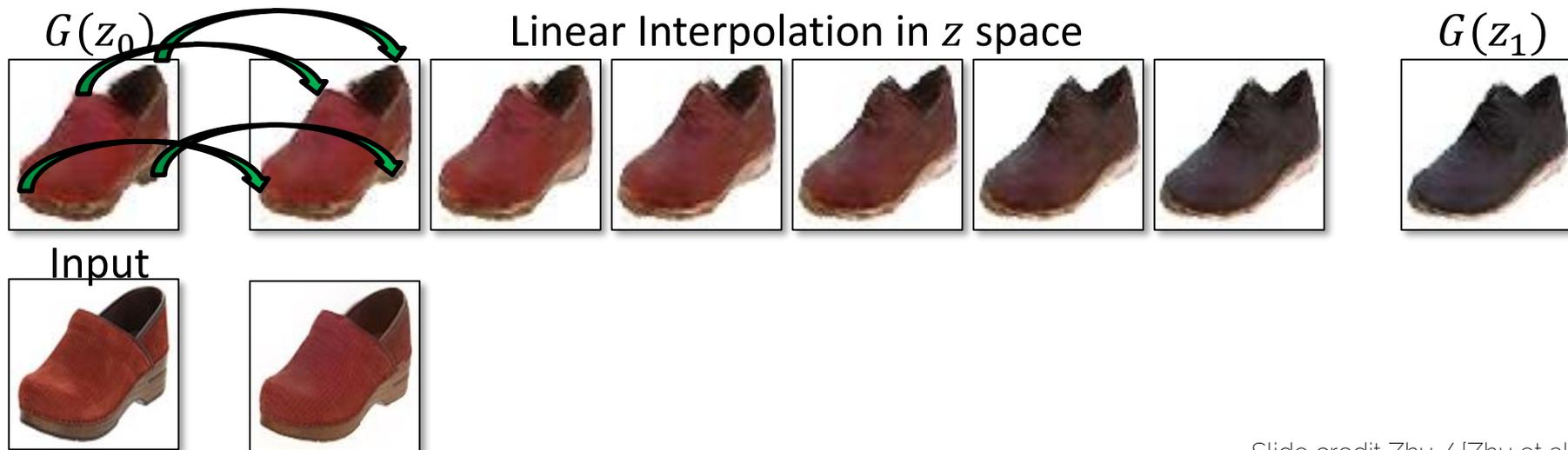


transition between the original and edited projection

iGANs: Edit Transfer

Motion (u, v) + Color (A_{3×4}): estimate per-pixel geometric and color variation

$$\iint \underbrace{\|I(x, y, t) - A \cdot I(x+u, y+v, t+1)\|^2}_{\text{data term}} + \underbrace{\sigma_s (\|\nabla u\|^2 + \|\nabla v\|^2)}_{\text{spatial reg}} + \underbrace{\sigma_c \|\nabla A\|^2}_{\text{color reg}} dx dy$$



iGANs: Edit Transfer

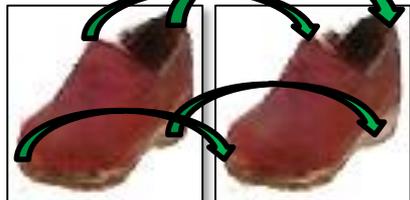
Motion (u, v) + Color (A_{3×4}): estimate per-pixel geometric and color variation

$$\iint \underbrace{\|I(x, y, t) - A \cdot I(x+u, y+v, t+1)\|^2}_{\text{data term}} + \underbrace{\sigma_s (\|\nabla u\|^2 + \|\nabla v\|^2)}_{\text{spatial reg}} + \underbrace{\sigma_c \|\nabla A\|^2}_{\text{color reg}} dx dy$$

$G(z_0)$



Linear Interpolation in z space



$G(z_1)$



Input



iGANs: Edit Transfer

Motion (u, v) + Color ($A_{3 \times 4}$): estimate per-pixel geometric and color variation

$$\iint \underbrace{\|I(x, y, t) - A \cdot I(x+u, y+v, t+1)\|^2}_{\text{data term}} + \underbrace{\sigma_s (\|\nabla u\|^2 + \|\nabla v\|^2)}_{\text{spatial reg}} + \underbrace{\sigma_c \|\nabla A\|^2}_{\text{color reg}} dx dy$$

$G(z_0)$



Linear Interpolation in z space



$G(z_1)$



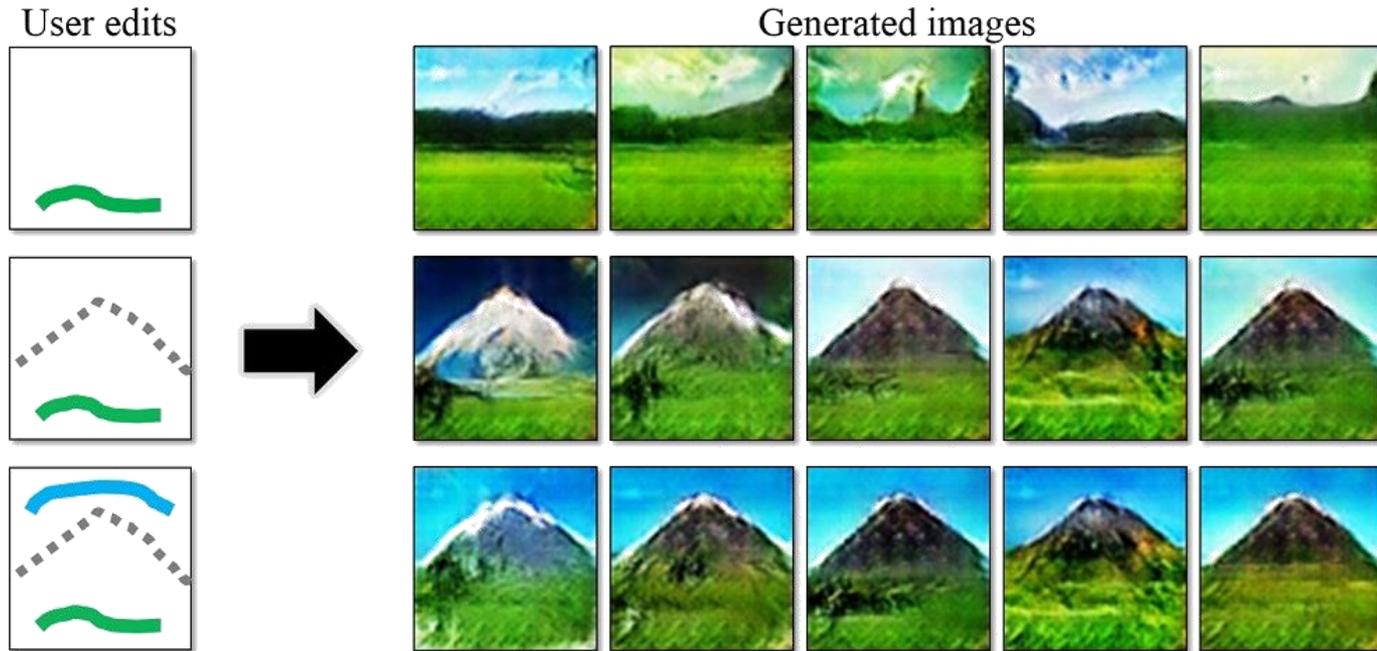
Input



Result



cGANs: Interactive GANs



— Color
■ ■ ■ Sketch

Interactive GANs: projection to GAN embedding

cGANs: Interactive GANs

Original photos										
Reconstruction via Optimization										
	0.165	0.164	0.370	0.279	0.350	0.249	0.437	0.255	0.178	0.227
Reconstruction via Network										
	0.198	0.190	0.382	0.302	0.251	0.339	0.482	0.270	0.248	0.263
Reconstruction via Hybrid Method										
	0.133	0.141	0.298	0.218	0.160	0.204	0.318	0.185	0.183	0.190

cGANs: Interactive GANs



Mapping in Latent Space is Difficult!

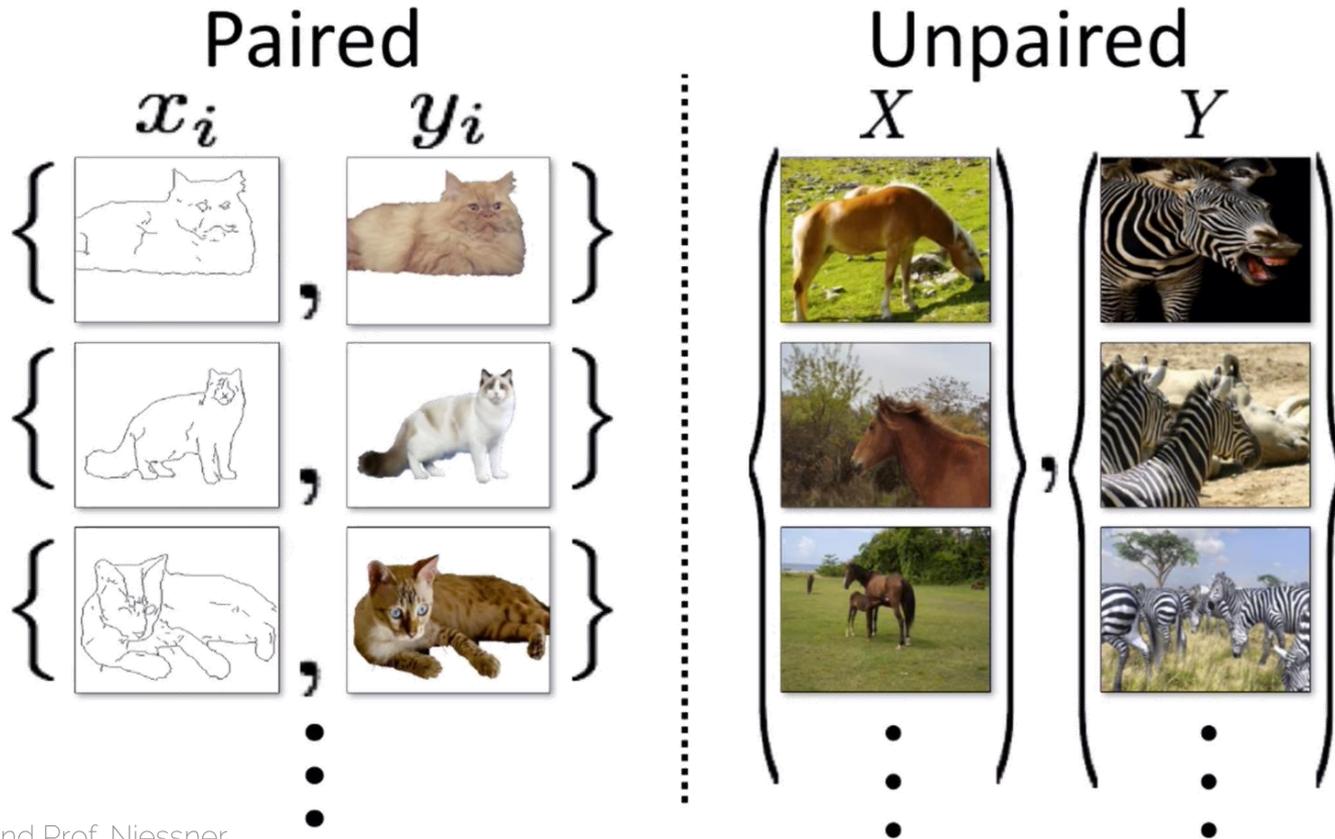
- Semantics are missing
- In most cases, no labels available
- Ideally, need some unsupervised disentangled rep.



(a) Azimuth (pose)

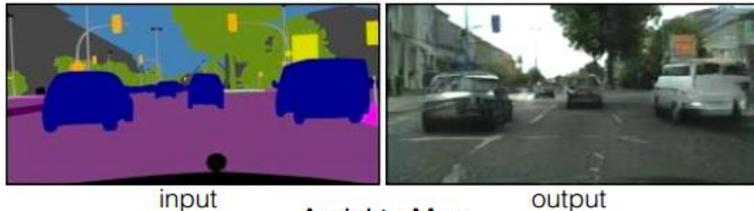
(b) Presence or absence of glasses

Paired vs Unpaired Setting



pix2pix: Image-to-Image Translation

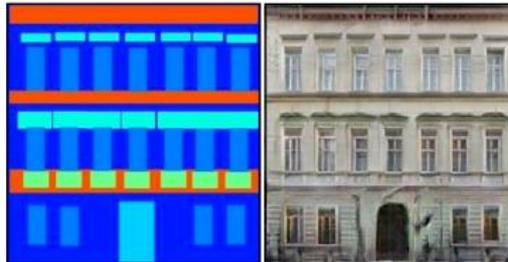
Labels to Street Scene



input

output

Labels to Facade



input

output

BW to Color



input

output

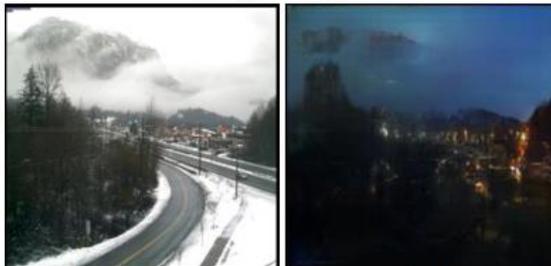
Aerial to Map



input

output

Day to Night



input

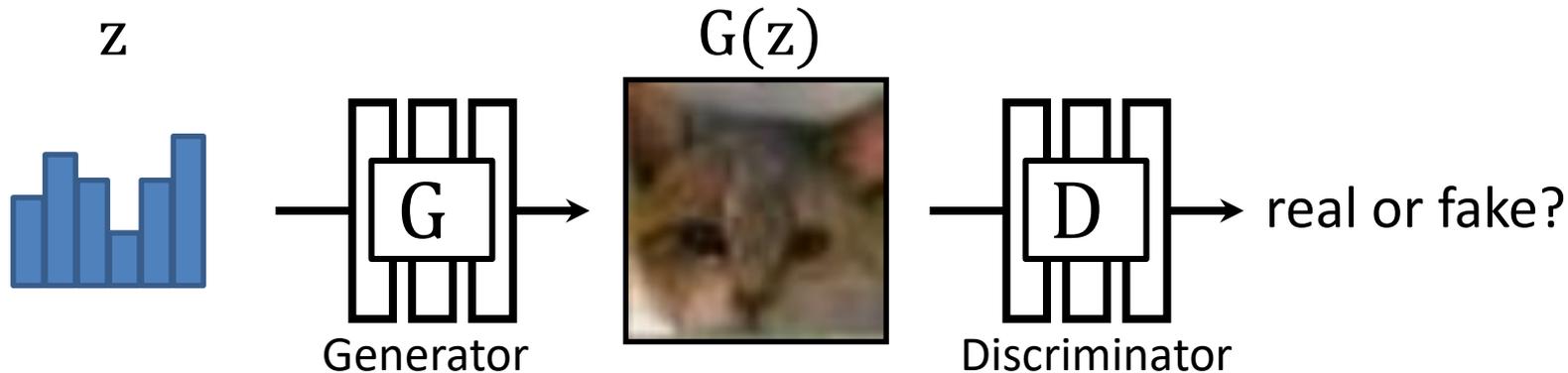
output

Edges to Photo

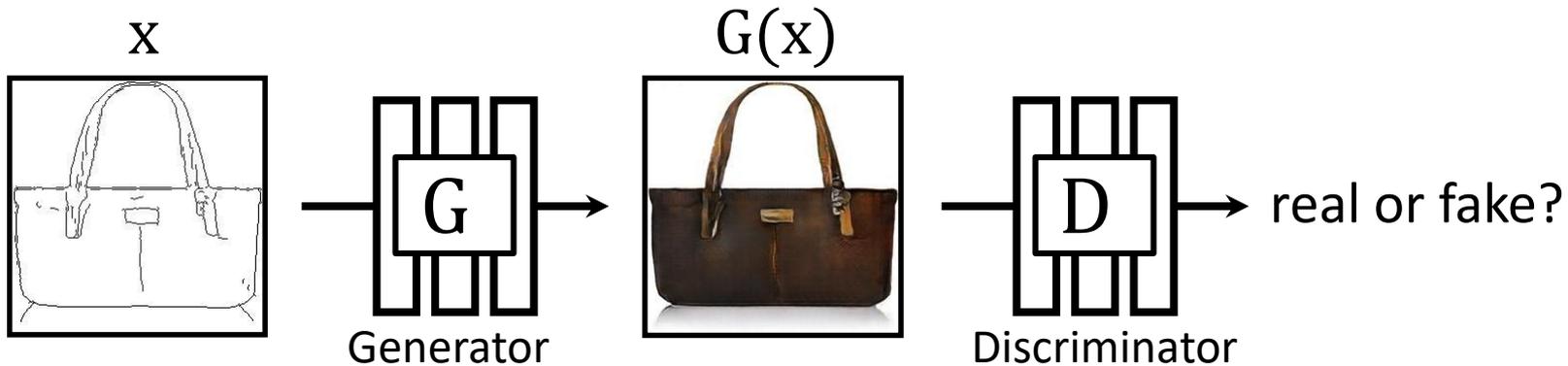


input

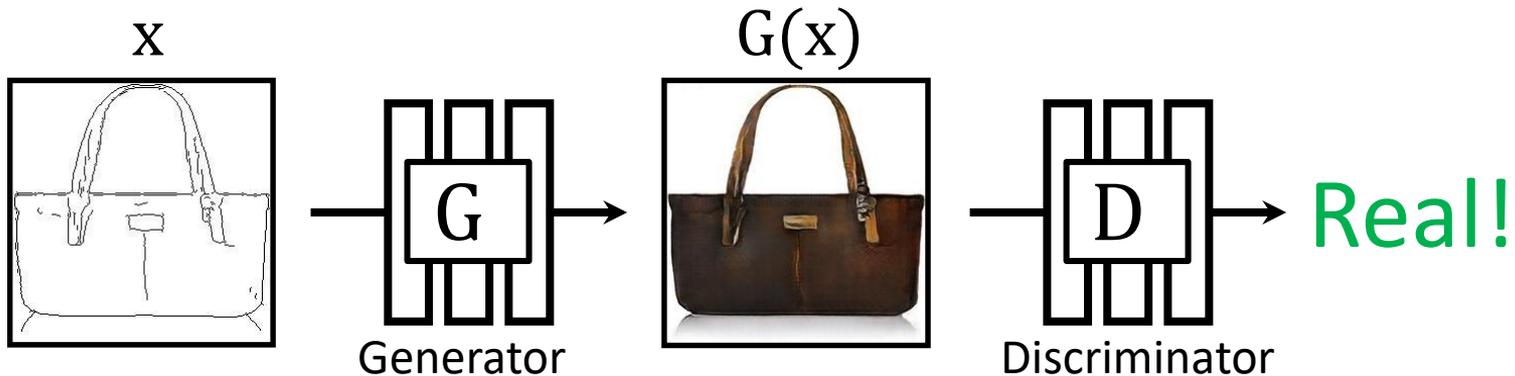
output



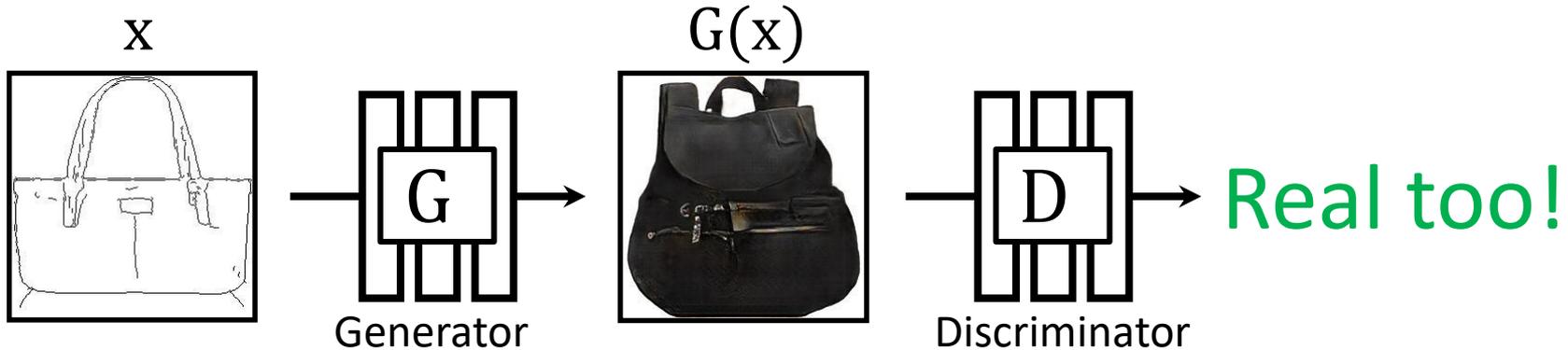
$$\min_G \max_D \mathbb{E}_{z,x} [\log D(G(z)) + \log(1 - D(x))]$$



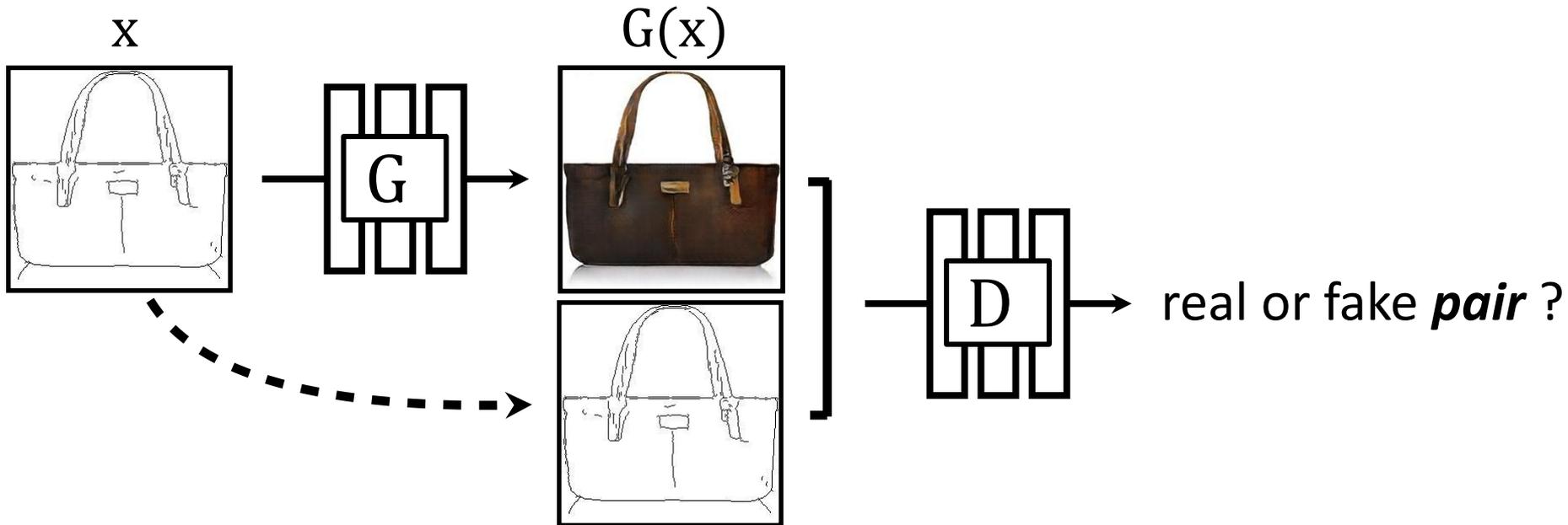
$$\min_G \max_D \mathbb{E}_{x,y} [\log D(G(x)) + \log(1 - D(y))]$$



$$\min_G \max_D \mathbb{E}_{x,y} [\log D(G(x)) + \log(1 - D(y))]$$



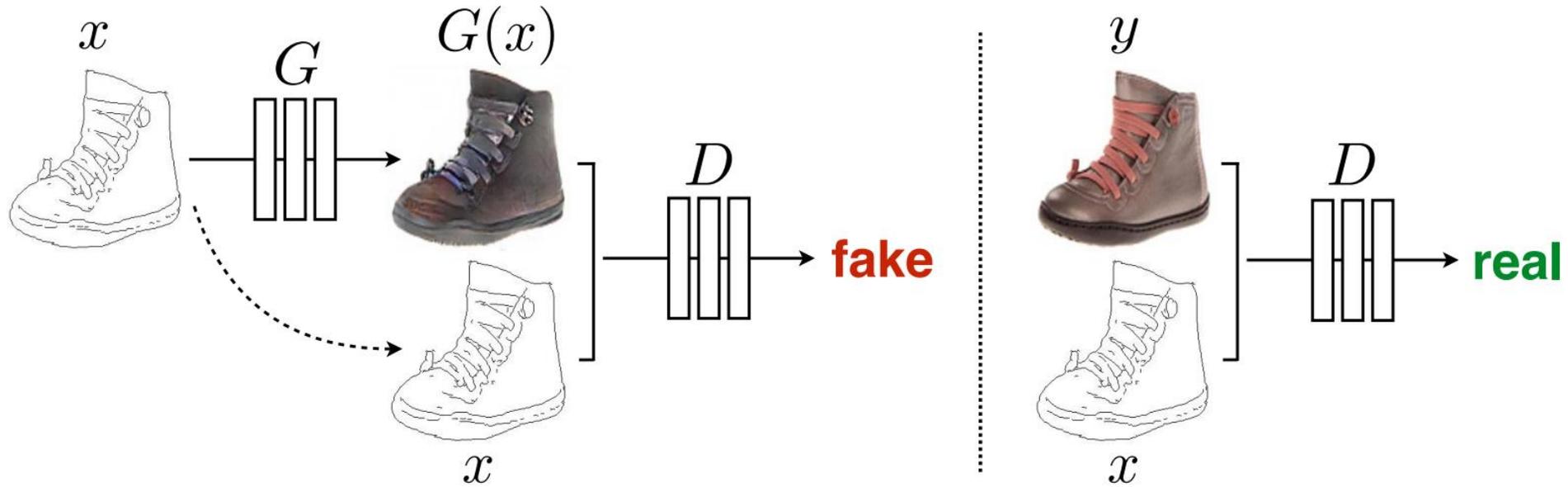
$$\min_G \max_D \mathbb{E}_{x,y} [\log D(G(x)) + \log(1 - D(y))]$$



$$\min_G \max_D \mathbb{E}_{x,y} [\log \underbrace{D(x, G(x))}_{\text{fake pair}} + \log(1 - \underbrace{D(x, y)}_{\text{real pair}})]$$

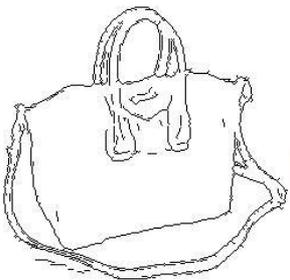
match joint distribution $p(G(x), y) \sim p(x, y)$

pix2pix



Edges → Images

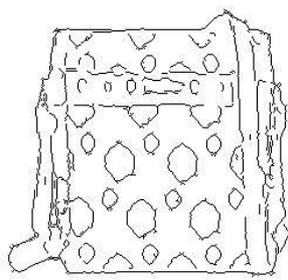
Input



Output



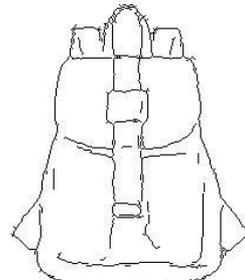
Input



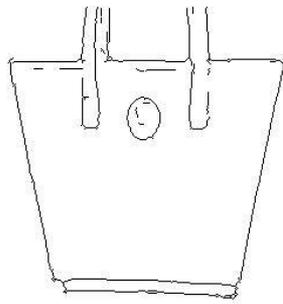
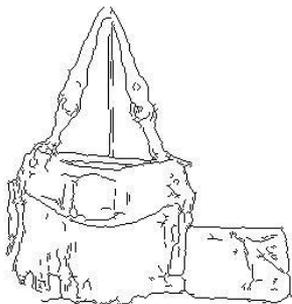
Output



Input



Output

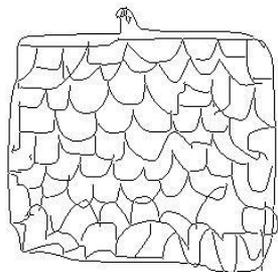


pix2pix: Paired Setting

- Great when we have 'free' training data
- Often called self-supervised
- Think about these settings 😊

Sketches \rightarrow Images

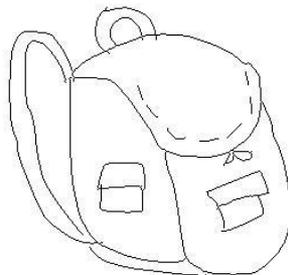
Input



Output



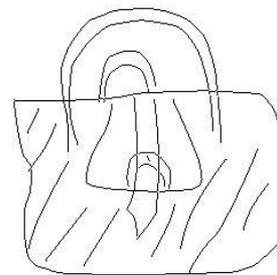
Input



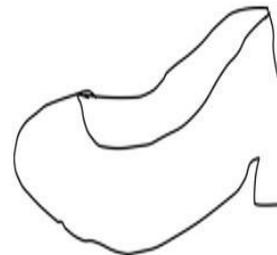
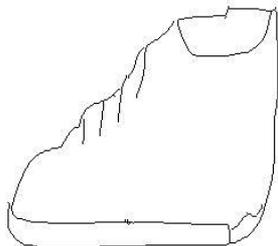
Output



Input

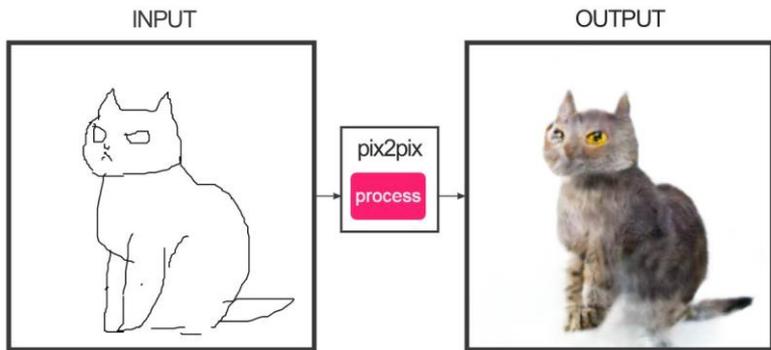


Output

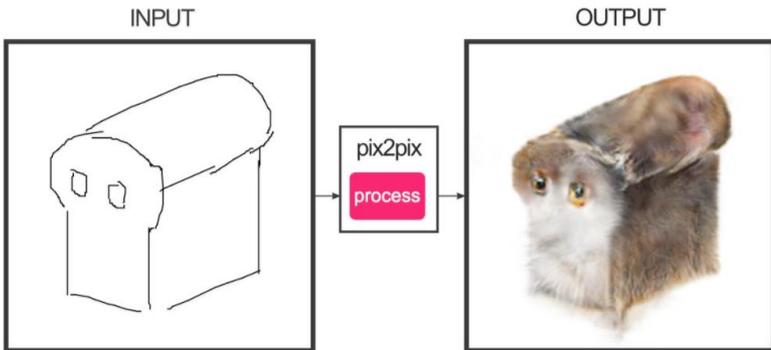


Trained on Edges \rightarrow Images

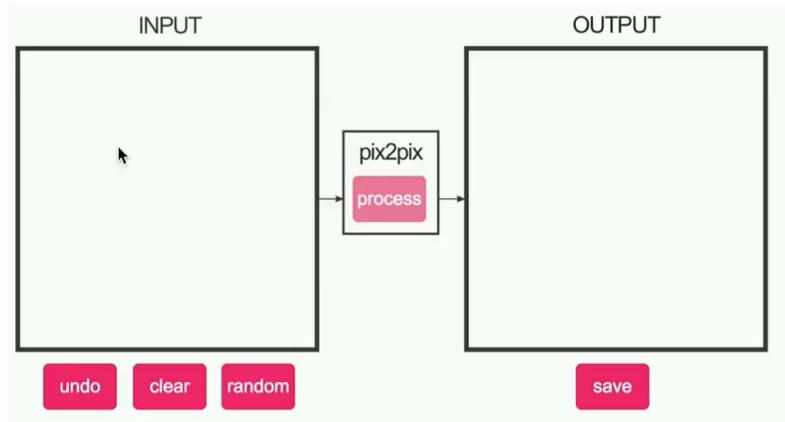
#edges2cats [Christopher Hesse]



@gods_tail



Ivy Tasi @ivymyt



@matthematician



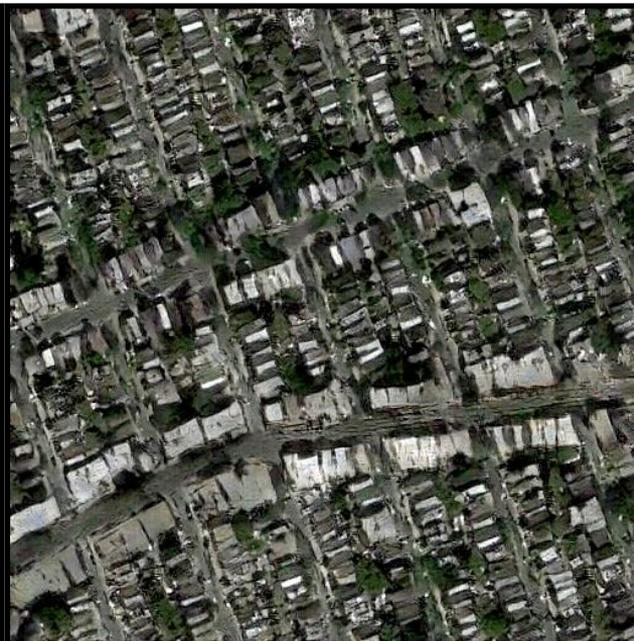
Vitaly Vidmirov @vvid

<https://affinelayer.com/pixsrv/>

Input



Output



Groundtruth



Data from
[\[maps.google.com\]](https://maps.google.com)



slides credit: Isola / Zhu

BW \rightarrow Color

Input

Output

Input

Output

Input

Output



Ideas behind Pix2Pix

- $L = L_{GAN} + \lambda L_1$ (makes it more constraint)
- Unet / skip connections for preserving structure
- Noise only through dropout
 - cGANs tend to learn to ignore the random vector z
 - Still want probabilistic model

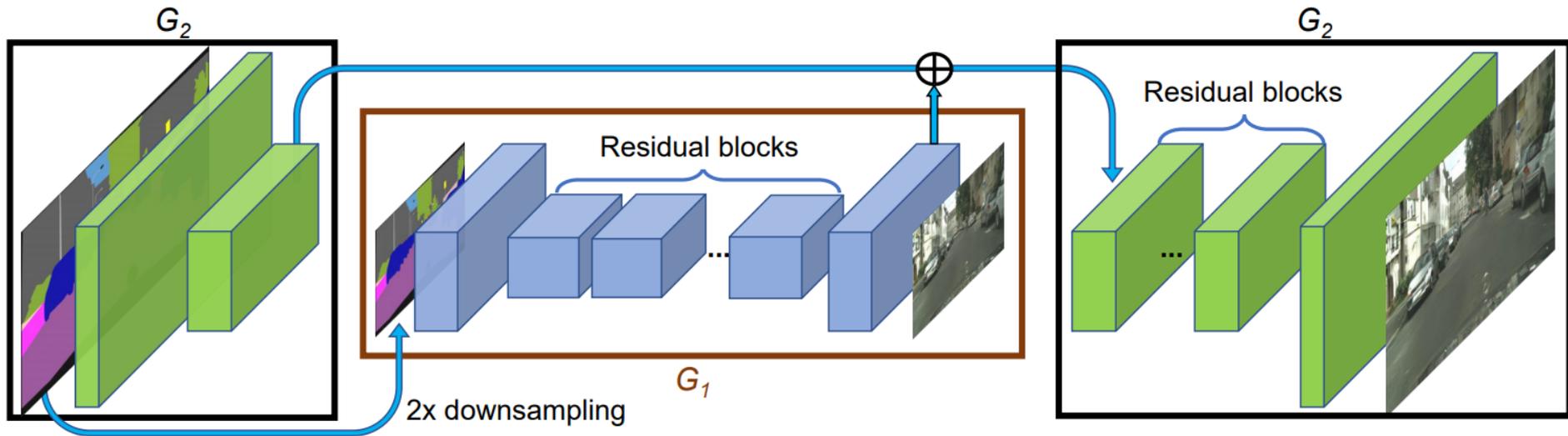
Ideas behind Pix2Pix

- L1 or L2 loss for low frequency details
 - GAN discriminator for high frequency details
- > PatchGAN
- GAN discriminator applied only to local patches
 - It's fully-convolutional; i.e., can run on arbitrary image sizes

Pix2PixHD

- Expand the pix2pix idea to multi-scale
- Coarse-to-fine generator + discriminator
- G's and D's are the same but since they operate on different resolutions, they have effectively a larger receptive field

Pix2PixHD



Pix2PixHD

- Use of multi-scale discriminators
- $\min_G \max_{D_1, D_2, D_3} \sum_{k=1,2,3} L_{GAN}(G, D_k)$
- Can make various combinations of stacking discriminator and generator
 - E.g., have a single G and downsample generated and real images – or have intermediate real images (cf. ProGAN)

Pix2PixHD

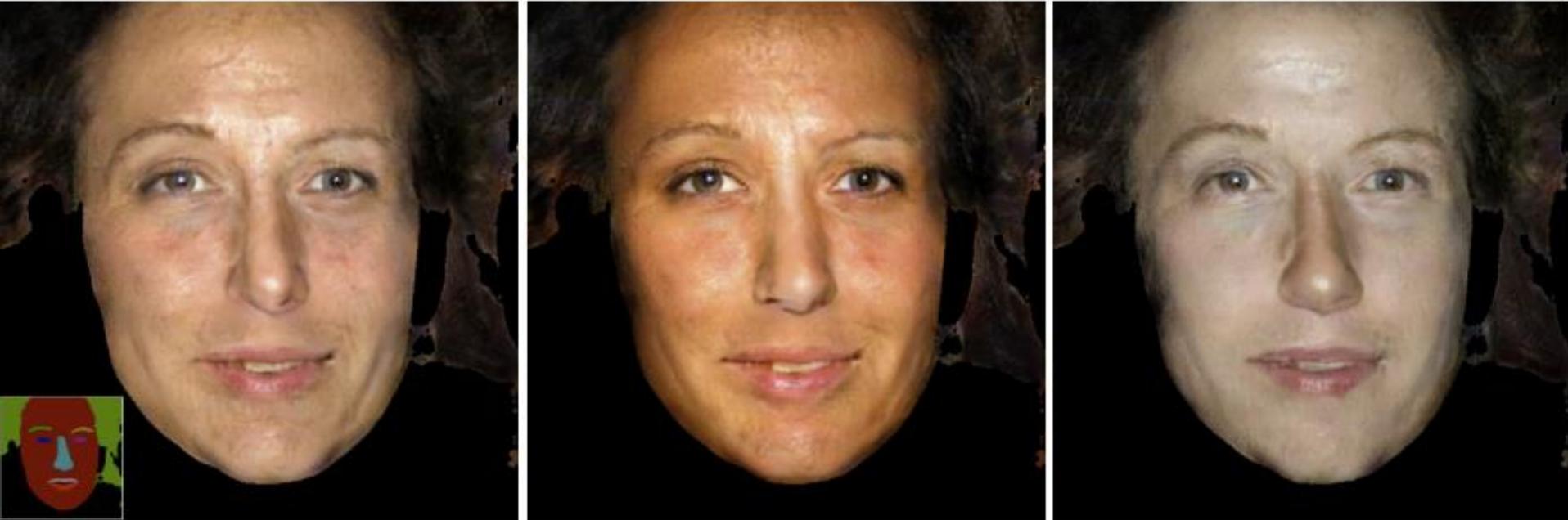
Input labels



Synthesized image



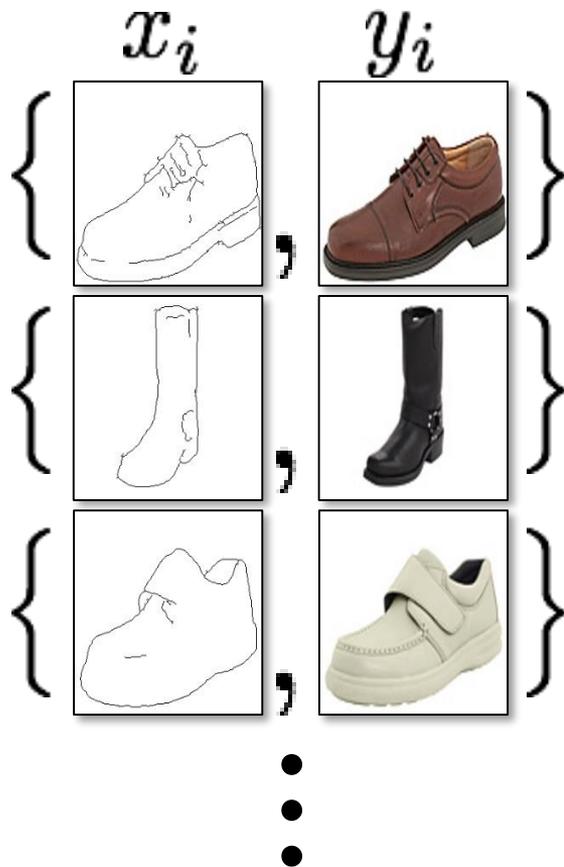
Pix2PixHD



Pix2PixHD (Interactive Results)



Paired



Label \leftrightarrow photo: per-pixel labeling



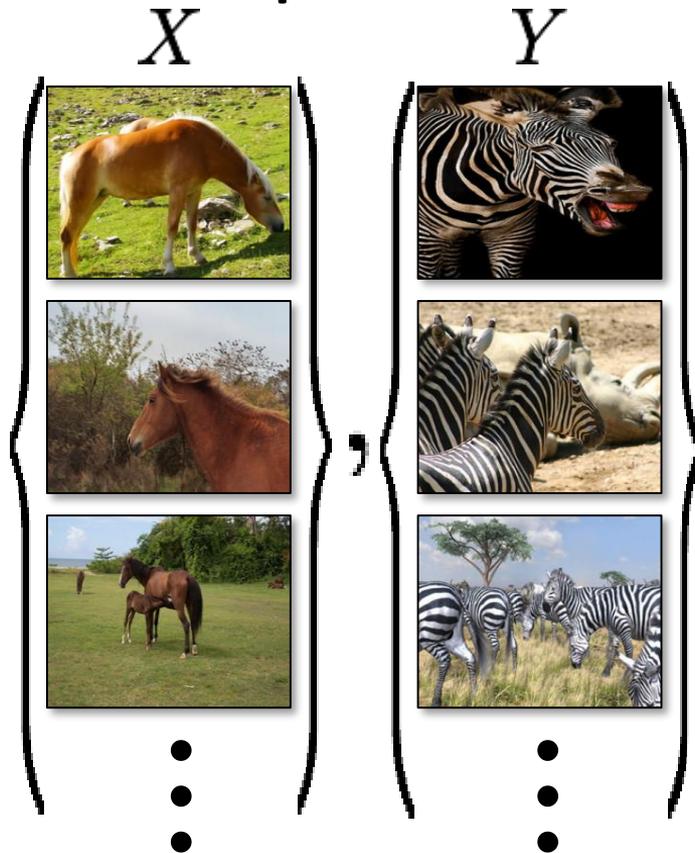
Horse \leftrightarrow zebra: how to get zebras?

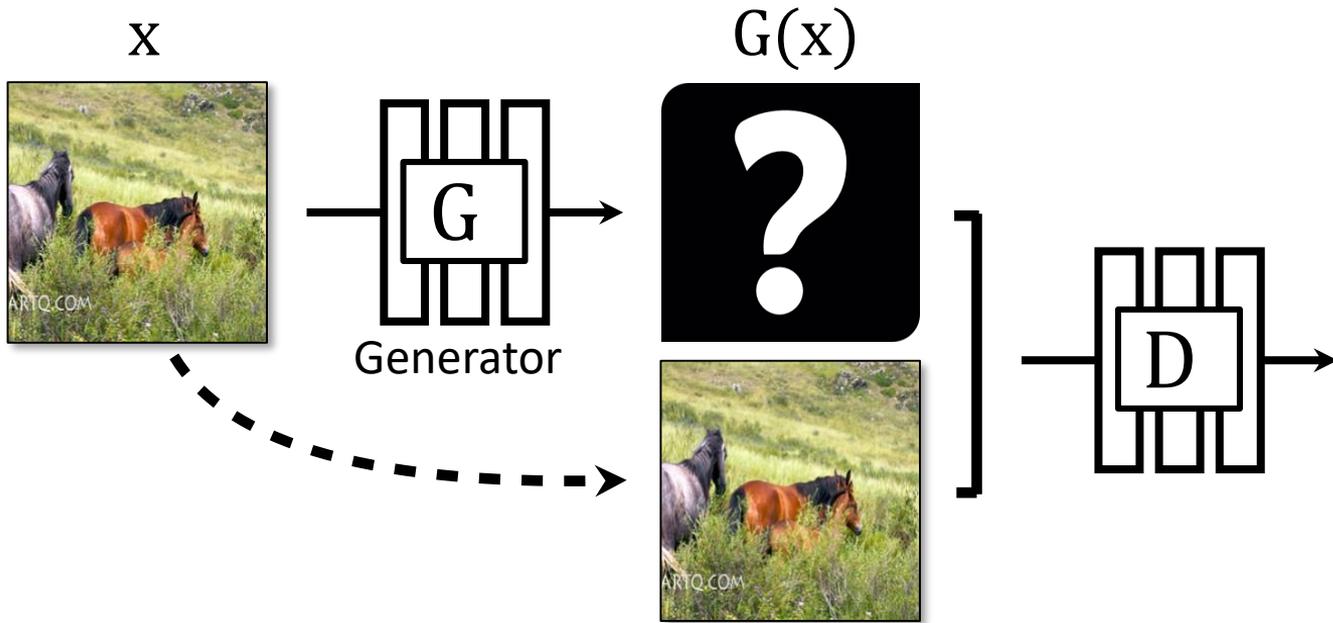
- Expensive to collect pairs.
- Impossible in many scenarios.

Paired



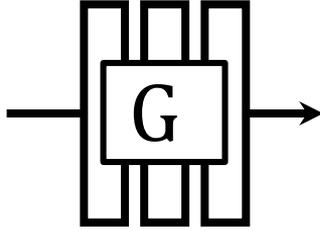
Unpaired





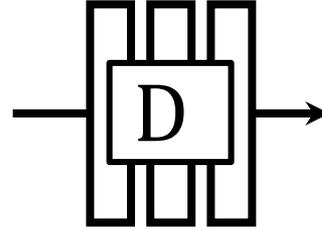
No input-output pairs!

X



Generator

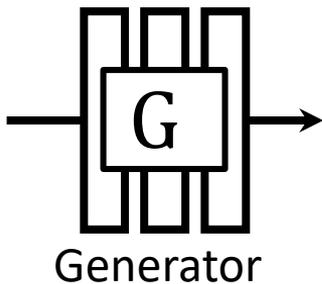
$G(x)$



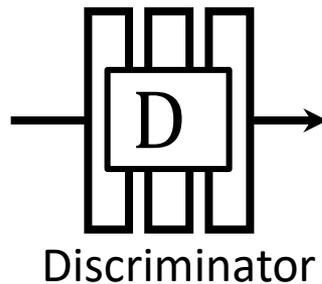
Discriminator

Real!

X



$G(x)$



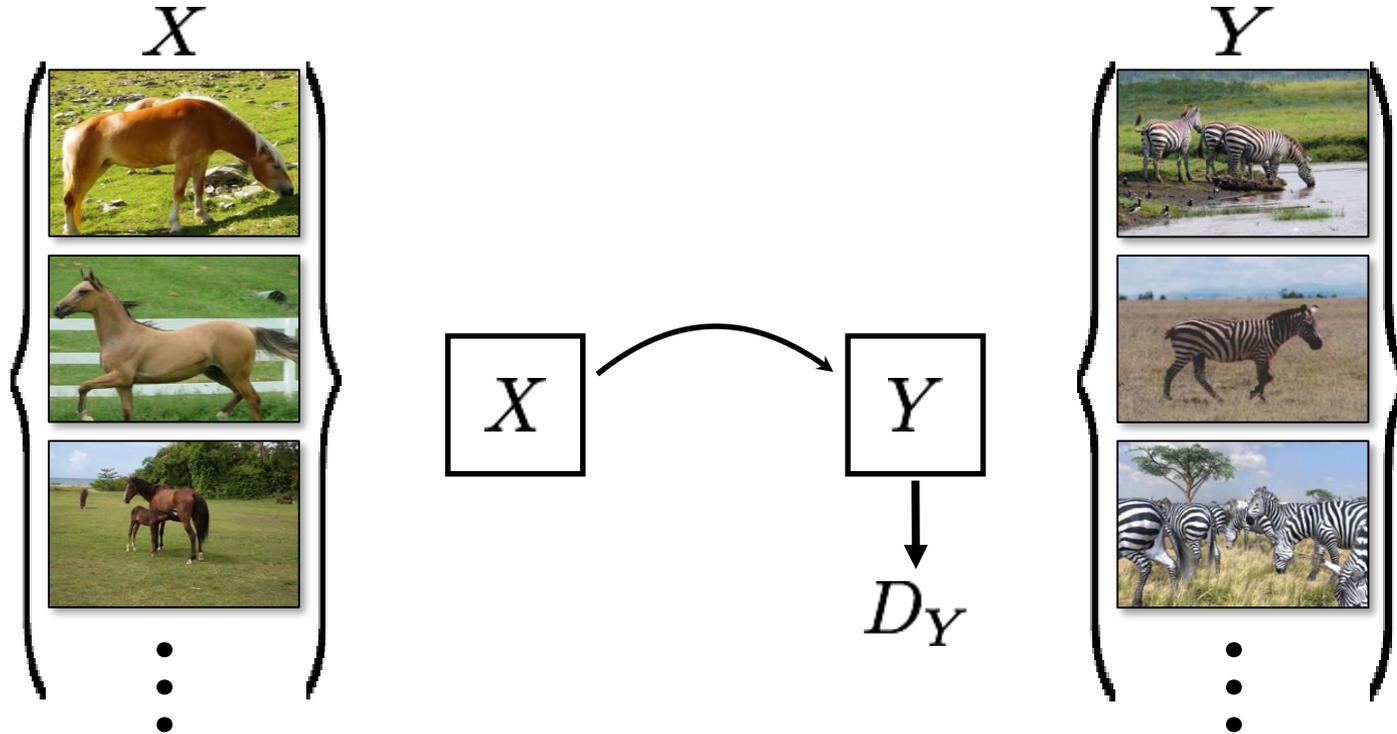
Real too!

GANs doesn't force output to correspond to input

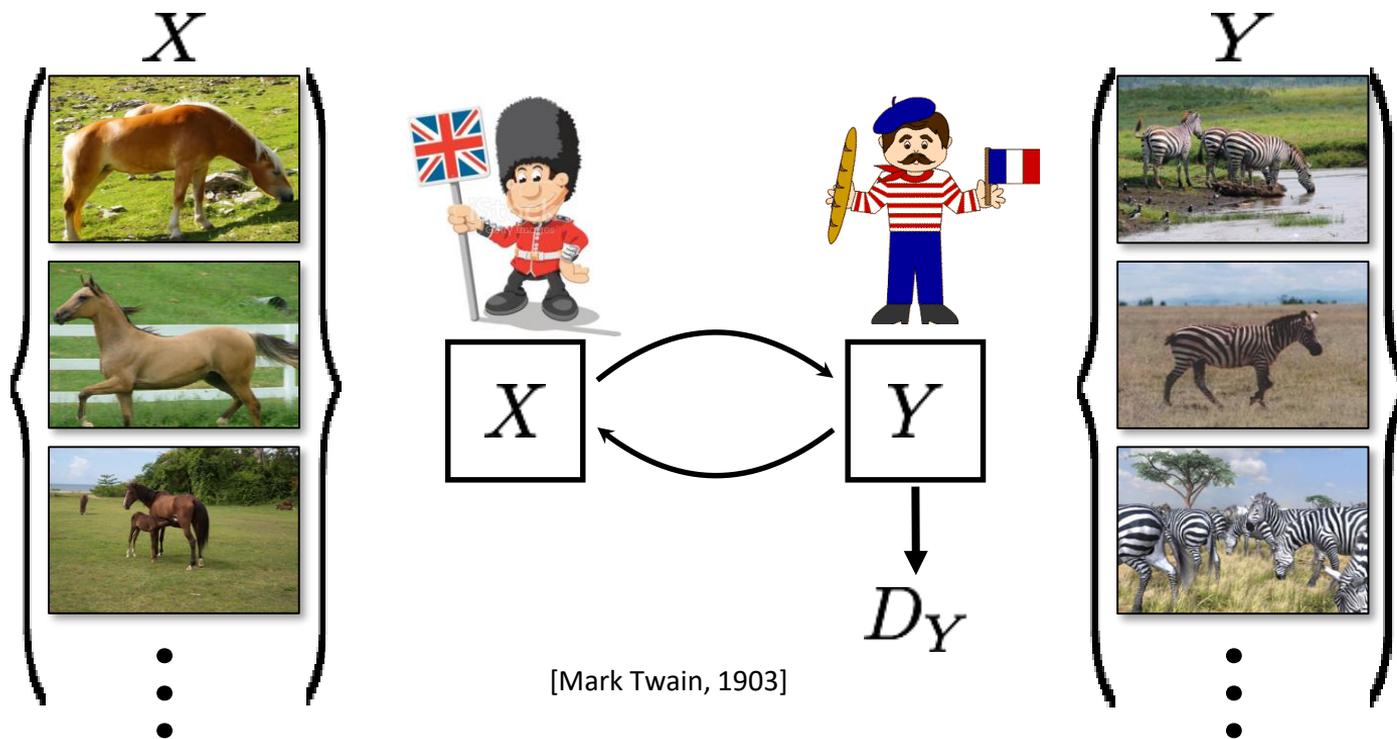


mode collapse!

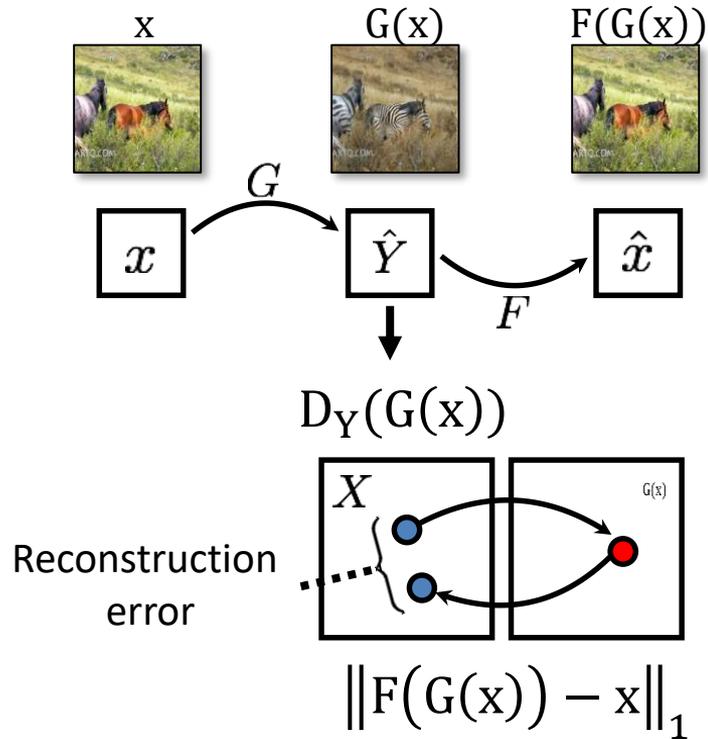
Cycle-Consistent Adversarial Networks



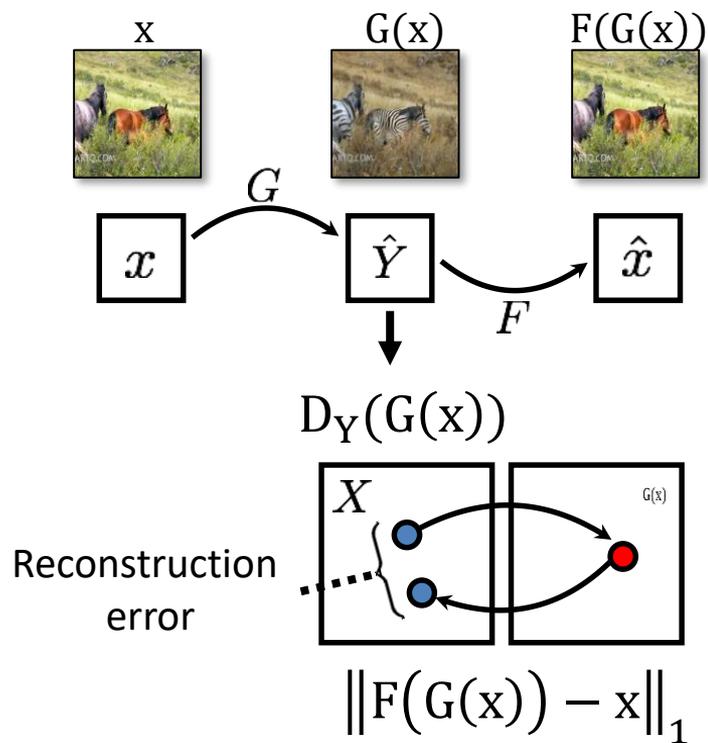
Cycle-Consistent Adversarial Networks



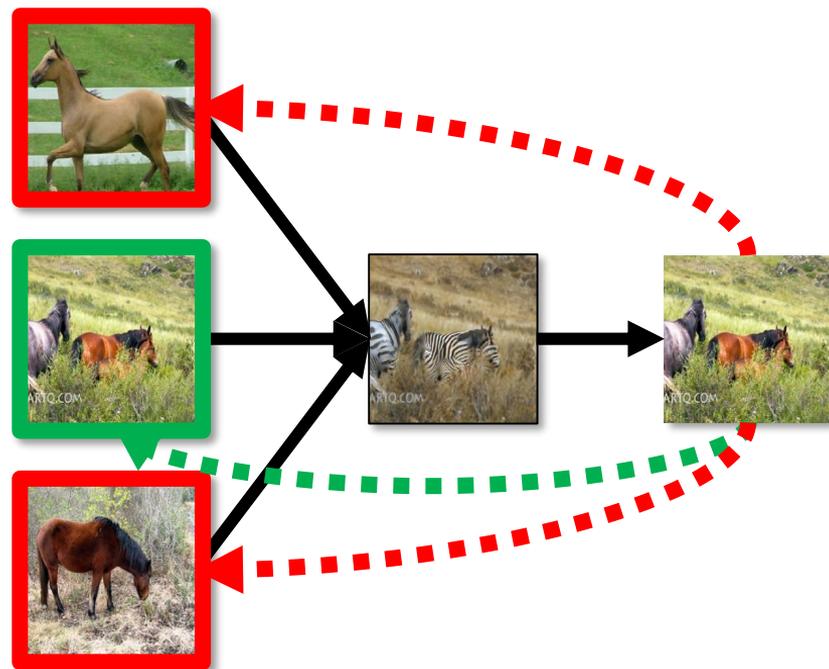
Cycle Consistency Loss



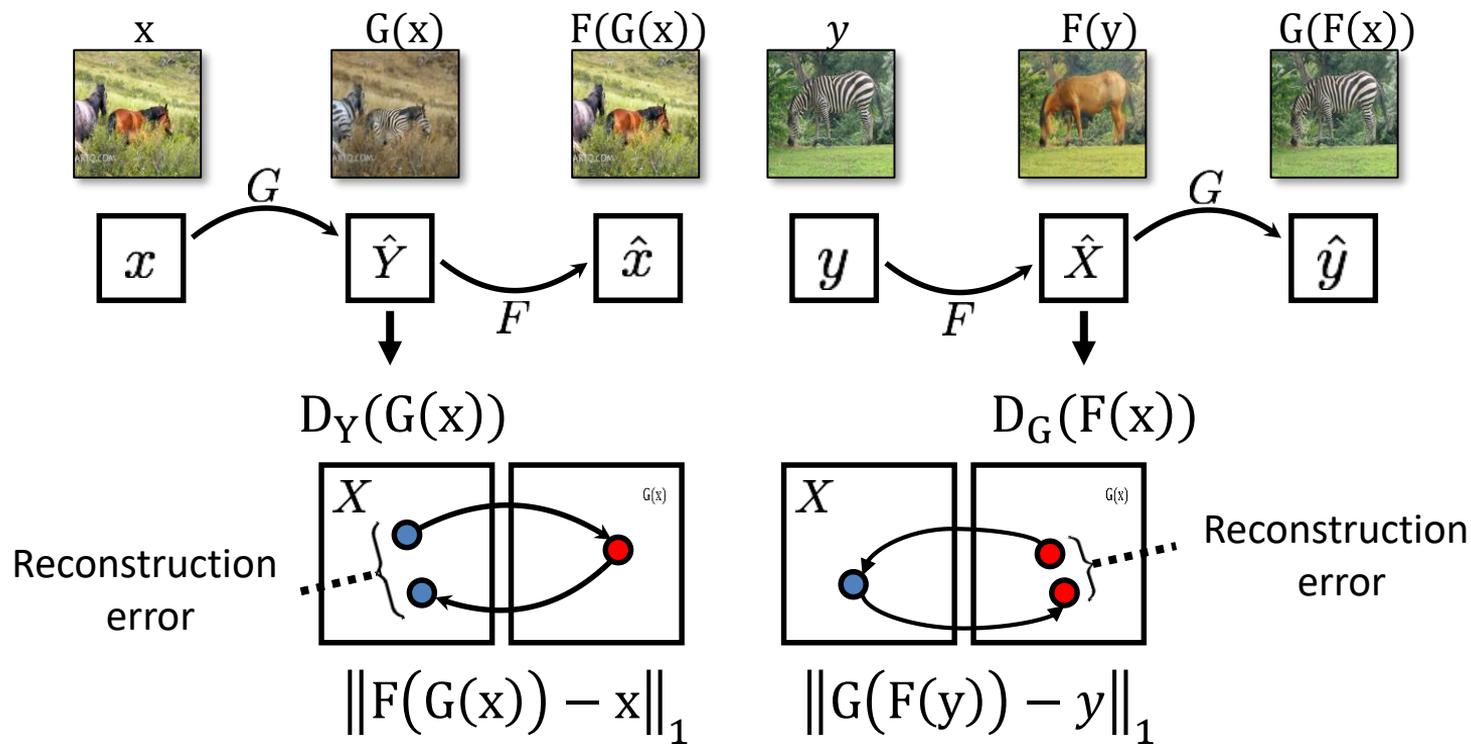
Cycle Consistency Loss



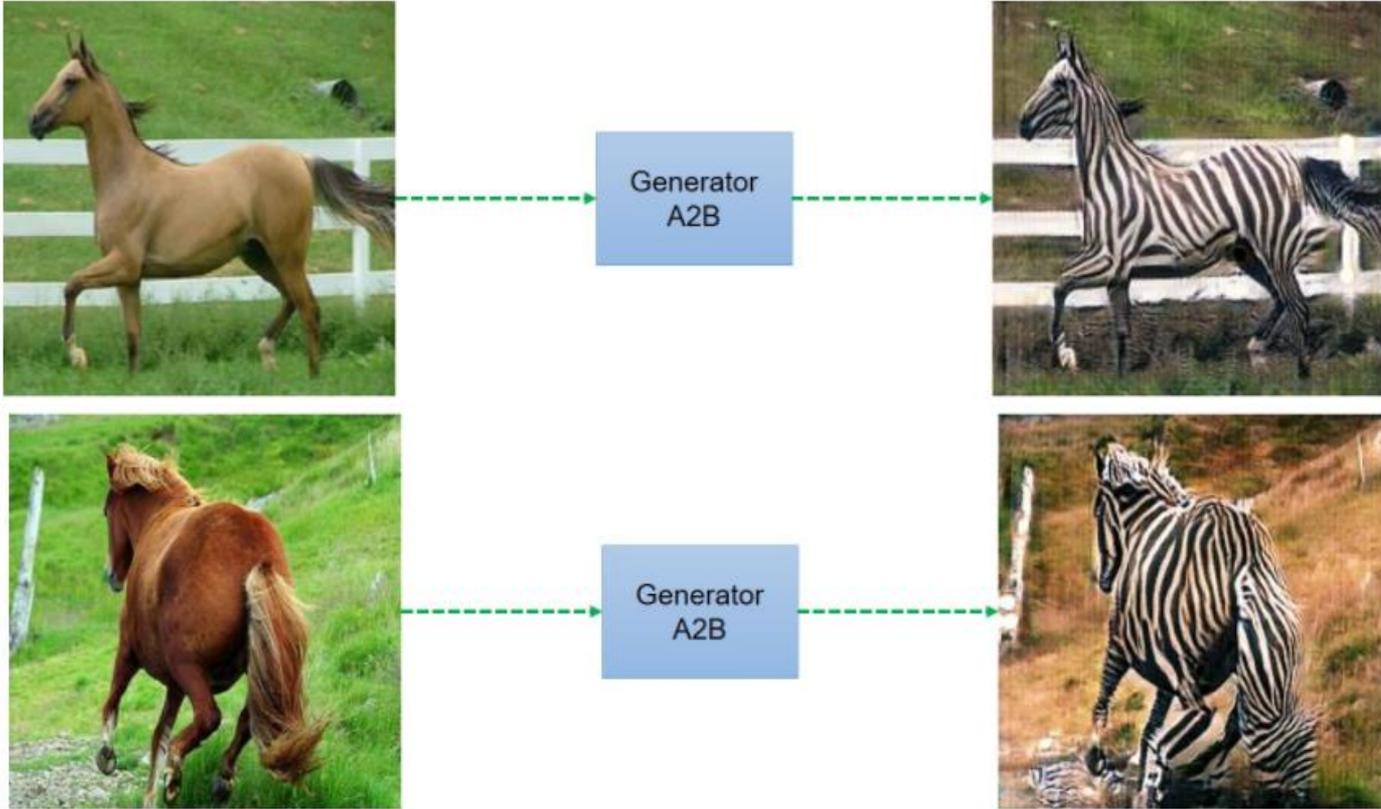
Single cycle loss



Cycle Consistency Loss



Cycle GAN - Overview



Monet's paintings → photos







Next Lectures

- Next Lectures:
 - Videos
 - Neural Rendering
 - 3D Deep Learning
- Keep working on the projects!

See you next week 😊